

<<有限元方法的数学理论>>

图书基本信息

书名：<<有限元方法的数学理论>>

13位ISBN编号：9787506292535

10位ISBN编号：750629253X

出版时间：2008-9

出版时间：世界图书出版公司

作者：布雷

页数：361

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### 内容概要

有限元法被广泛用于工程设计和工程分析。

本书是Springer出版的《应用数学教材》丛书之15。

全书分成15章，在第1版的基础上增加了加性Schwarz预条件和自适应格；书中不但提供有限元法系统的数学理论。

还兼重在工程设计和分析中的应用算法效率、程序开发和较难的收敛问题。

## &lt;&lt;有限元方法的数学理论&gt;&gt;

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