

<<拟微分算子技巧>>

图书基本信息

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内容概要

It is generally well known that the Fourier-Laplace transform converts a linear constant coefficient PDE $P(D)u=f$ on \mathbb{R}^n to an equation $P(\xi)u(\xi)=f(\xi)$, for the transforms u, f of u and f , so that solving $P(D)u=f$ just amounts to division by the polynomial $P(\xi)$. The practical application was suspect, and ill understood, however, until theory of distributions provided a basis for a logically consistent theory. Thereafter it became the Fourier-Laplace method for solving initial-boundary problems for standard PDE. We recall these facts in some detail in sections 1-4 of ch.0.

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