

<<群与格引论>>

图书基本信息

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### 内容概要

The launch of this Advanced Lectures in Mathematics series is aimed at keeping mathematicians informed of the latest developments in mathematics, as well as to aid in the learning of new mathematical topics by students all over the world. Each volume consists of either an expository monograph or a collection of significant introductions to important topics. This series emphasizes the history and sources of motivation for the topics under discussion, and also gives an overview of the current status of research in each particular field. These volumes are the first source to which people will turn in order to learn new subjects and to discover the latest results of many cutting-edge fields in mathematics.

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## 章节摘录

Rational lattices occur naturally in many areas of mathematics, such as number theory, geometry, combinatorics, representation theory, discrete mathematics, finite groups and Lie theory. The main goal of this book is to explain methods for construction and analysis of positive definite rational lattices and their finite groups of isometries. It seems that many lattices of great interest are related to finite groups and vice versa. One thinks of root lattices, the Barnes-Wall lattices, the Leech lattice and others which occur as sublattices or overlattices of these. The Leech lattice is closely related to twenty of the twenty-six sporadic simple groups. Many lattices with relatively high minimum norms have interesting finite isometry groups. Materials in this book are similar to that in graduate courses we gave during the 2000s decade at the University of Michigan in Ann Arbor, USA and Zhejiang University in Hangzhou, China. We present group theory and lattice theory as closely interrelated subjects. Many topics in the theory of lattices and the theory of groups shall be treated from first principles and proofs will be self-contained. Our presentation is more classroom style or conversational than encyclopedic. We try to provide clear introductions, give examples and indicate directions. If a full treatment would be long and is otherwise available in publications, we may refer to outside sources.

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## 编辑推荐

《群与格引论：有限群与正定有理格（国内英文版）》：An Introduction to Groups and Lattices: Finite Groups and Positive Definite Rational Lattices Rational lattices occur throughout mathematics, for example in quadratic forms, sphere packing, Lie theory and integral representations of finite groups. Studies of high-dimensional lattices typically involve number theory, linear algebra, codes, combinatorics and groups. This book presents a basic introduction to rational lattices, finite groups and the deep relationship between these two theories. Dr. Robert L. Griess Jr. is a Professor of Mathematics at the University of Michigan and has received various honors including a Guggenheim fellowship, an invited lecture at the International Congress of Mathematicians, membership in the American Academy of Arts and Sciences, and the 2010 AMS Leroy P. Steele Prize for his seminal construction of the monster group.

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