<<几何分析手册(第2卷)>>

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前言

The marriage of geometry and analysis, in particular non-linear differential equations, has been very fruitful. An early deep application of geometric analysis is the celebrated solution by Shing-Tung Yau of the Calabi conjecture in 1976. In fact, Yau together with many of his collaborators developed important techniques in geometric analysis in order to solve the Calabi conjecture. Besides solving many open problems in geometry such as the Severi conjecture, the characterization of complex projective varieties, and characterization of certain Shimura varieties, the Calabi-Yau manifolds also provide the basic building blocks in the superstring theory model of the universe. Geometric analysis has also been crucial in solving many outstanding problems in low dimensional topology, for example, the Smith conjecture, and the positive mass Geometric analysis has been intensively studied and highly developed since conjecture in general relativity. 1970s, and it is becoming an indispensable tool for understanding many parts of mathematics. Its success also brings with it the difficulty for the uninitiated to appreciate its breadth and depth. In order to introduce both beginners and non-experts to this fascinating subject, we have decided to edit this handbook of geometric analysis. Each article is written by a leading expert in the field and will serve as both an introduction to and a survey of the topics under discussion. The handbook of geometric analysis is divided into several parts, and this volume Shing-Tung Yau has been crucial to many stages of the development of geo- metric analysis. is the second part. Indeed, his work has played an important role in bringing the well-deserved global recognition by the whole mathematical sciences community to the field of geometric analysis. In view of this, we would like to dedicate this handbook of geometric analysis to Shing-Tung Yau on the occasion of his sixtieth birthday. Summarizing the main mathematical contributions of Yau will take many pages and is probably beyond the capability of the editors. Instead, we quote several award citations on the work of Yau. The citation of the Veblen Prize for Yau in 1981 says: "We have rarely had the opportunity to witness the spectacle of the work of one mathematician affecting, in a short span of years, the direction of whole areas of research. Few mathematicians can match Yaus achievements in depth, in impact, and in the diversity of methods and applications."

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内容概要

Geometric Analysis combines differential equations and differential geometry. An important aspect is to solve geometric problems by studying differential equations. Besides some known linear differential operators such as the Laplace operator, many differential equations arising from differential geometry are nonlinear. A particularly important example is the IVlonge-Ampere equation; Applications to geometric problems have also motivated new methods and techniques in differen-rial equations. The field of geometric analysis is broad and has had many striking applications. This handbook of geometric analysis provides introductions to and surveys of important topics in geometric analysis and their applications to related fields which is intend to be referred by graduate students and researchers in related areas.

<<几何分析手册(第2卷)>>

书籍目录

Heat Kernels on Metric Measure Spaces with Regular Volume GrowthAlexander Grigoryan1 Introduction 1.1 Heat kernel in Rn1.2 Heat kernels on Riemannian manifolds1.3 Heat kernels of fractional powers of Laplacian1.4 Heat kernels on fractal spaces 1.5 Summary of examples 2 Abstract heat kernels 2.1 Basic definitions 2.2 The Dirichlet form2.3 Identifying in the non-local case2.4 Volume of balls3 Besov spaces3.1 Besov spaces in Rn3.2 Besov spaces in a metric measure space3.3 Embedding of Besov spaces into HSIder spaces.4 The energy domain4.1 A local case 4.2 Non-local case 4.3 Subordinated heat kernel 4.4 Bessel potential spaces 5 The walk dimension 5.1 Intrinsic characterization of the walk dimension5.2 Inequalities for the walk dimension6 Two-sided estimates in the local case 6.1 The Dirichlet form in subsets 6.2 Maximum principles 6.3 A tail estimate 6.4 Identifying in the local caseReferencesA Convexity Theorem and Reduced Delzant Spaces Bong H. Lian , Bailin Song1 Introduction2 Convexity of image of moment map 3 Rationality of moment polytope 4 Realizing reduced Delzant spaces 5 Classification of reduced Delzant spacesReferencesLocalization and some Recent ApplicationsBong H. Lian, Kefeng Liu1 Introduction2 Localization3 Mirror principle4 Hori-Vafa formula5 The Marino-Vafa Conjecture6 Two partition formula? Theory of topological vertex8 Gopakumar-Vafa conjecture and indices of elliptic operators..9 Two proofs of the ELSV formula10 A localization proof of the Witten conjecture11 Final remarksReferencesGromov-Witten Invariants of Toric Calabi-Yau Threefolds Chiu-Chu Melissa Liu1 Gromov-Witten invariants of Calabi-Yau 3-folds1.1 Symplectic and algebraic Gromov-Witten invariants1.2 Moduli space of stable maps 1.3 Gromov-Witten invariants of compact Calabi-Yau 3-folds 1.4 Gromov-Witten invariants of noncompact Calabi-Yau 3-folds2 Traditional algorithm in the toric case2.1 Localization2.2 Hodge integrals Physical theory of the topological vertex 4 Mathematical theory of the topological vertex 4.1 Locally planar trivalent graph4.2 Formal toric Calabi-Yau (FTCY) graphs4.3 Degeneration formula4.4 Topological vertex "4.5 Localization4.6 Framing dependence4.7 Combinatorial expression4.8 Applications4.9 Comparison5 GW/DT correspondences and the topological vertexAcknowledgmentsReferencesSurvey on Affine SpheresJohn Loftin1 Introduction 2 Affine structure equations 3 Examples 4 Two-dimensional affine spheres and Titeicas equation 5 Monge-Ampre equations and duality6 Global classification of affine spheres7 Hyperbolic affine spheres and invariants of convex cones8 Projective manifolds9 Affine manifolds10 Affine maximal hypersurfaces11 Affine normal flowReferencesConvergence and Collapsing Theorems in Riemannian GeometryXiaochun RongIntroduction1 Gromov-Hausdorff distance in space of metric spaces1.1 The Gromov-Hausdorff distance1.2 Examples 1.3 An alternative formulation of GH-distance 1.4 Compact subsets of (Met , dGH) 1.5 Equivariant GH-convergence 1.6 Pointed GH-convergence 2 Smooth limits-fibrations 2.1 The fibration theorem 2.2 Sectional curvature comparison 2.3 Embedding via distance functions 2.4 Fibrations 2.5 Proof of theorem 2.1.12.6 Center of mass2.7 Equivariant fibrations2.8 Applications of the fibration theorem3 Convergence theorems3.1 Cheeger-Gromovs convergence theorem3.2 Injectivity radius estimate3.3 Some elliptic estimates3.4 Harmonic radius estimate 3.5 Smoothing metrics 4 Singular limits-singular fibrations 4.1 Singular fibrations 4.2 Controlled homotopy structure by geometry 4.3 The 2-finiteness theorem 4.4 Collapsed manifolds with pinched positive sectional curvature5 Almost flat manifolds5.1 Gromovs theorem on almost flat manifolds5.2 The Margulis lemma 5.3 Flat connections with small torsion 5.4 Flat connection with a parallel torsion 5.5 Proofs— Proofs——part II5.7 Refined fibration theoremReferencesGeometric Transformations and Soliton EquationsChuu-Lian Terng "1 Introduction2 The moving frame method for submanifolds3 Line congruences and Backlund transforms4 Sphere congruences and Ribaucour transforms5 Combescure transforms, O-surfaces, and k-tuples6 From moving frame to Lax pair7 Soliton hierarchies constructed from symmetric spaces8 The U-system and the Gauss-Codazzi equations 9 Loop group actions 10 Action of simple elements and geometric transformsReferencesAffine Integral Geometry from a Differentiable ViewpointDeane Yang1 Introduction2 Basic definitions and notation 2.1 Linear group actions 3 Objects of study 3.1 Geometric setting 3.2 Convex body 3.3 The space of all convex bodies 3.4 Valuations 4 Overall strategy 5 Fundamental constructions 5.1 The support function 5.3 The polar body5.4 The inverse Gauss map5.5 The second fundamental form5.6 The Legendre transform5.7 The

<<几何分析手册(第2卷)>>

curvature function The homogeneous contour integral6.1 Homogeneous functions and differential forms6.2 The homogeneous contour integral for a differential form6.3 The homogeneous contour integral for a measure6.4 Homogeneous integral calculus7 An explicit construction of valuations7.1 Duality7.2 Volume8 Classification of valuations9 Scalar valuations9.1 SL(n)-invariant valuations9.2 Hugs theorem10 Continuous GL(n)-homogeneous valuations10.1 Scalar valuations10.2 Vector-valued valuations11 Matrix-valued valuations.11.1 The Cramer-Rao inequality12 Homogeneous function- and convex body-valued valuations.13 QuestionsReferencesClassification of Fake Projective PlanesSai-Kee Yeung1 Introduction2 Uniformization of fake projective planes3 Geometric estimates on the number of fake projective planes.4 Arithmeticity of lattices associated to fake projective planes.5 Covolume formula of Prasad6 Formulation of proof7 Statements of the results8 Further studiesReferences

<<几何分析手册<u>(第2卷)>></u>

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The launch of this Advanced Lectures in Mathematics series is aimed at keeping mathematicians informed of the latest developments in mathematics, as well as to aid in the learning of new mathematical topics by students all over the world. Each volume consists of either an expository monograph or a collection of significant introductions to important topics. This series emphasizes the history and sources of motivation for the topics under discussion, and also gives an over view of the current status of research in each particular field. These volumes are the first source to which people will turn in order to learn new subjects and to discover the latest results of many cutting-edge fields in mathematics. Geometric Analysis combines differential equations and differential geometry. Animportant aspect is to solve geometric problems by studying differential equations. Besides some known linear differential operators such as the laplace operator, many differential equations arising from differential geometry are nonlinear. Aparticularly important example is the Monge-Ampre equation. Applications to geometric problems have also motivated new methods and techniques in differential equations. The field of geometric analysis is broad and has had many striking applications. This handbook of geometric analysis provides introductions to andsurveys of important topics in geometric analysis and their applications to related fields which is intend to be referred by graduate students and researchers in related areas.

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